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## Discrete Exponential Growth and Decay

Date
Period $\qquad$
Solve each discrete exponential growth/decay problem. You may use the provided graph to plot points or sketch the exponential function.

1) A savings account balance is compounded annually. If the interest rate is $2 \%$ per year and the current balance is $\$ 1,430.00$, what will the balance be 8 years from now?

2) A philanthropist pledges to donate $17 \%$ of a fund each year. If the fund initially has $\$ 450,000.00$, how much will the fund have after 7 years?

3) An employee receives a 4\% raise once per year. If the employee's initial salary is $\$ 72,300.00$, what will the employee's salary be after 10 years?

4) An architect is designing a tapered office tower where the ground floor (floor 0 ) is the largest and the floor space is reduced by $5 \%$ per floor. If the ground floor has an area of $1,140.0 \mathrm{~m}^{2}$, what is the area of the 9th floor?


Solve each discrete exponential growth/decay problem.
5) Rentals in a high rise apartment building get more expensive higher up, since the views get better. The ground floor (floor 0 ) rent is $\$ 1,680.00$. The rent increases $4.7 \%$ per floor. On what floor is the rent \$4,209.62?
6) For tax purposes, a car rental company assumes each car in their fleet depreciates by $5.5 \%$ per year. If the initial value of a car is $\$ 21,300.00$, in how many years will the value depreciate to $\$ 8,615.66$ ?

Solve each discrete exponential growth/decay problem. Round your answer to the nearest percent.
7) A new social media site is increasing its user base by a constant percentage per month. If the user base grows from 29,130 users to 52,167 users over 10 months, at what monthly rate is the user base increasing?
8) A rubber bouncy ball is dropped from a height of 115.00 inches onto a hard flat floor. After each bounce, the ball returns to a height that is a constant percentage less than the previous maximum height. After the 19th bounce, the ball reaches a maximum height of 3.34 inches. At what percentage does the maximum ball height reduce per bounce?
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Solve each discrete exponential growth/decay problem. You may use the provided graph to plot points or sketch the exponential function.

1) A savings account balance is compounded annually. If the interest rate is $2 \%$ per year and the current balance is $\$ 1,430.00$, what will the balance be 8 years from now?

$1430 \cdot 1.02^{8} \approx \$ 1,675.47$
2) A philanthropist pledges to donate $17 \%$ of a fund each year. If the fund initially has $\$ 450,000.00$, how much will the fund have after 7 years?

3) An employee receives a 4\% raise once per year. If the employee's initial salary is $\$ 72,300.00$, what will the employee's salary be after 10 years?


$$
72300 \cdot 1.04^{10} \approx \$ 107,021.66
$$

4) An architect is designing a tapered office tower where the ground floor (floor 0 ) is the largest and the floor space is reduced by $5 \%$ per floor. If the ground floor has an area of $1,140.0 \mathrm{~m}^{2}$, what is the area of the 9th floor?

$1140 \cdot 0.95^{9} \approx 718.5 \mathrm{~m}^{2}$

## Solve each discrete exponential growth/decay problem.

5) Rentals in a high rise apartment building get more expensive higher up, since the views get better. The ground floor (floor $0)$ rent is $\$ 1,680.00$. The rent increases $4.7 \%$ per floor. On what floor is the rent \$4,209.62?

$$
\frac{\ln \frac{4209.62}{1680}}{\ln 1.047} \approx 20 \text { th floor }
$$

6) For tax purposes, a car rental company assumes each car in their fleet depreciates by $5.5 \%$ per year. If the initial value of a car is $\$ 21,300.00$, in how many years will the value depreciate to $\$ 8,615.66$ ?

$$
\frac{\ln \frac{8615.66}{21300}}{\ln 0.945} \approx 16 \text { years }
$$

Solve each discrete exponential growth/decay problem. Round your answer to the nearest
percent.
7) A new social media site is increasing its user base by a constant percentage per month. If the user base grows from 29,130 users to 52,167 users over 10 months, at what monthly rate is the user base increasing?

$$
\left(\frac{52167}{29130}\right)^{\frac{1}{10}}-1 \approx 6 \% \text { per month }
$$

8) A rubber bouncy ball is dropped from a height of 115.00 inches onto a hard flat floor. After each bounce, the ball returns to a height that is a constant percentage less than the previous maximum height. After the 19th bounce, the ball reaches a maximum height of 3.34 inches. At what percentage does the maximum ball height reduce per bounce?

$$
\left|\left(\frac{3.34}{115}\right)^{\frac{1}{19}}-1\right| \approx 17 \% \text { per bounce }
$$

